## Lesson Plan

| Name of Faculty | $:$ | Gaurav Singh Sisodia |
| :--- | :--- | :--- |
| Discipline | $:$ | Mathematics |
| Semester | $:$ | CE+CSE+ECE+EE+ME-3 |
| Subject | Mathematics -III (BSC-201-T) |  |
| Lesson Plan Duration: | 15 weeks (from September, 2022 to January, 2023) |  |
| Work Load (Lecture/Practical) per week (in hours): Lectures 03 hours. |  |  |


| Week | Theory |  |  |
| :---: | :---: | :---: | :---: |
|  | Lecture Day | Topic (Including Assignment/Test) | Actual Lesson Plan covered |
| $1^{\text {st }}$ | 1 | Euler's Formulae |  |
|  | 2 | Dirichlet's Condition for Fourier expansions |  |
|  | 3 | Problems and Solutions |  |
| $2^{\text {nd }}$ | 4 | Fourier expansion of functions having point of discontinuity |  |
|  | 5 | Change of interval |  |
|  | 6 | Problems and Solutions |  |
| $3^{\text {rd }}$ | 7 | Odd and even functions |  |
|  | 8 | Problems and Solutions |  |
|  | 9 | Fourier expansion of square wave |  |
| $4^{\text {th }}$ | 10 | Rectangular wave, saw-toothed wave |  |
|  | 11 | Half and full rectified wave |  |
|  | 12 | Half range sine and cosine series |  |
| 5th | 13 | Problems and Solutions |  |
|  | 14 | Fourier integrals Theorem |  |
|  | 15 | Problems and Solutions |  |
| 6th | 16 | Fourier transforms |  |
|  | 17 | Fourier sine \& cosine transforms |  |
|  | 18 | Problems and Solutions |  |
| $7^{\text {th }}$ |  | ---------------------------Ist Minor Test----------------------------- |  |
| 8th | 19 | Properties of Fourier transforms, |  |
|  | 20 | Convolution theorem |  |
|  | 21 | Shifting theorem (both on time and frequency axes) |  |
| 9th | 22 | Fourier transforms of derivatives |  |
|  | 23 | Fourier transforms of integrals |  |
|  | 24 | Fourier transform of Dirac delta function |  |
| 10th | 25 | Problems and Solutions |  |
|  | 26 | Functions of complex variable, limit \& continuity of a function |  |
|  | 27 | Exponential , Trigonometric, Hyperbolic \&Logarithmic functions |  |
| $11^{\text {th }}$ | 28 | Differentiability \& Analyticity |  |
|  | 29 | C-R equations: necessary \& sufficient condition for function to be analytic |  |
|  | 30 | Polar form of C-R equations, Harmonic functions |  |
| 12th | 31 | Integration of complex functions |  |
|  | 32 | Problems and Solutions |  |
|  | 33 | Cauchy Theorem, Cauchy- Integral formula. |  |
| $13^{\text {th }}$ | 34 | Power series, radius and circle of convergence |  |
|  | 35 | Taylor's Maclaurin's and Laurent's series |  |
|  | 36 | Zeroes and singularities of complex functions |  |
| 14th |  | ---------------------------2 ${ }^{\text {nd }}$ Minor Test--------------------------- |  |
| 15th | 37 | Residues. Evaluation of real integrals using residues (around unit circle) |  |
|  | 38 | Residues. Evaluation of real integrals using residues (around semi circle) |  |
|  | 39 | Problems and Solutions |  |

